# An argument on the security of LRBC, a recently proposed lightweight block cipher

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Abstract LRBC is a new lightweight block cipher that has been proposed for resource-constrained IoT devices. The cipher is claimed to be secure against differential cryptanalysis and linear cryptanalysis. However, beside short state length which is only 16-bits, the structures of the cipher only use the linear operations, the its s-boxes, and this is a reason why the cipher is completely insecure against the mentioned attacks. we present a few examples to show that. Also, we show that the round function of LRBC has some structural problem and even if we fix them the cipher does not provide complete diffusion. Hence, even with replacement of the cipher s-boxes with proper s-boxes, the problem will not be fixed and it is possible to provide deterministic distinguisher for any number of round of the cipher. In addition, we show that for any fixed key, it is possible to create a full code book for the cipher with the complexity of  $2^{n/2}$ , which should be compared with  $2^n$  for any secure *n*-bit block cipher.

**Keywords** Differential Cryptanalysis  $\cdot$  Linear Cryptanalysis  $\cdot$  Full-codebook  $\cdot$  LRBC

## **1** Introduction

Internet of Things (IoT) received a lot of attention during the last decade. In an IoT system, multiple objects interact and cooperate to provide different

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services and provide accessibility at any time from many points. Examples of the important application of IoT are Internet of Vehicles (IoV), Internet of Energy (IoE), Internet of Sensors (IoS) and Machine to Machine Communications (M2M) [12]. It is expected the worldwide number of connected devices to increase to 125 billion connected devices by 2030, while it was nearly 27 billion connected devices in 2017 [19,20] with a global market to reach US \$ 1,102.6 billion by 2026 [8].

However, advances in IoT architectures and protocols are still necessary to make the vision of the IoT reality. More notably, designing a secure protocol for many IoT applications is still a challenge, given the constrained devices in the edge, e.g. RFID tags. To provide desired security, it is not always possible to use common solution based on conventional cryptographic primitives, because those primitives such as AES [1] or SHA3 [22] do not meet the resource limitation of RFID tags. Hence, many lightweight primitives have been proposed last decade, targeting such applications. To just name some of such lightweight primitives, we can mention SKINNY [4], PRESENT [10], MIBS [17], SIMON [3], SPECK [3], LS-Designs [15], ZORRO [14] and Fides [7], Quark [2] and PHOTON [16]. In addition, recently NIST also initiated lightweight cryptography competition, targeting standardization of hash function and AEAD (authenticated encryption with associated data) for constrained environments which received 57 submissions for the first round and it is in the second round now [13].

In this direction, Biswas et al. recently proposed a lightweight block cipher called LRBC [9]. Designers of this block cipher have investigated its security against the well known attacks include linear and differential cryptanalysis [21, 6], impossible differential cryptanalysis [5,18], Zero-correlation linear cryptanalysis [11], and etc. The goal of differential and linear cryptanalysis is to find the high-probability features of the plaintexts propagate to the ciphertexts, called distinguisher. If the probability of a distinguisher in the target block cipher is obviously higher than that of a completely random permutation operation, that block cipher can be distinguished from a random permutation. Impossible differential attack is one of the most popular cryptanalytic tools for block ciphers. Impossible differential cryptanalysis starts with finding an input difference which results in an output difference with probability 0. Zerocorrelation cryptanalysis is also a novel cryptanalytic approach, proposed by Bogdanov and Rijmen [11]. In contrast to conventional linear cryptanalysis which uses linear approximations with high correlation, zero-correlation linear cryptanalysis is based on linear approximations with a correlation exactly equal to zero for all keys.

LRBC is a lightweight block cipher proposed by Biswas *et al.* in 2020 [9]. The design takes both Feistel and SPN structure. The LRBC has been implemented using simple logical operations such as XOR operations  $(\oplus)$ , XNOR operations  $(\odot)$ , concatenation (||), transposition process. In this cipher, the long plaintext has been split into 16-bit blocks of data. In this paper, we analyze the security of this block cipher, which is its first third-party analysis to the best of our knowledge.

In the rest of the paper, in section 2 we describe LRBC briefly and also provide required preliminaries. In section 3 we provide our analysis of this cipher. Finally, the paper is concluded in section 4

## 2 Preliminaries

The encryption process of LRBC has been illustrated in Algorithm 1 and its F-Function is described in Algorithm 2. In these algorithms,  $\mathcal{X}[i]$  defines *i*-th bit of string  $\mathcal{X}$ .

# Algorithm 1 LRBC Encryption [9] Input: Plaintext (PT)

- 1. Read plaintext (PT) and extract the byte values.
- 2.  $PT = PT_1 \| \dots \| Pt_n \text{ and } PT_i \in \{0, 1\}^{16}, \text{ for } 1 \le i \le n.$
- 3. Initialize r with value 1.
- 4. Each  $PT_i$  is further su-divided into 4 equal length parts  $PT_i^k, 1 \le k \le 4, 1 \le i \le n$  as,
- $PT_i^1 = PT_i[1] || PT_i[2] || PT_i[9] || PT_i[10]$  $PT_i^2 = PT_i[3] \parallel PT_i[4] \parallel PT_i[11] \parallel PT_i[12]$  $PT_i^3 = PT_i[5] \parallel PT_i[6] \parallel PT_i[13] \parallel PT_i[14]$  $PT_{i}^{'4} = PT_{i}[7] \parallel PT_{i}[8] \parallel PT_{i}[15] \parallel PT_{i}[16]$ 5. Compute intermediate round cipher blocks as  $(a \neq b \neq c \neq d)$ , 
  $$\begin{split} IC_i^1 &= PT_i^1 \odot K^a \\ IC_i^2 &= PT_i^2 \oplus K^b \\ IC_i^3 &= PT_i^3 \oplus K^c \end{split}$$
   $IC_i^4 = PT_i^4 \odot K^d$ 6. Generate F-Function as,  $F_i^1 = F\_Function(IC_i^1, IC_i^3)$   $F_i^2 = F\_Function(IC_i^2, IC_i^4)$ 7. Generate input for next round as,  $\begin{array}{l} PT_{i}^{1}=F_{i}^{1}[5:8]; PT_{i}^{2}=F_{i}^{2}[5:8]\\ PT_{i}^{3}=F_{i}^{1}[1:4]; PT_{i}^{4}=F_{i}^{2}[1:4] \end{array}$ r = r + 18. If (r < 24)Go to step 5. 9. Else Go to step 10. 10.  $ICT_i^k = PT_i^{\hat{k}}, 1 \le k \le 4, 1 \le i \le n.$ 11. Generate Final Cipher as,  $CT = ICT_i^1 ||ICT_i^2||ICT_i^3||ICT_i^4|.$ Algorithm 2 F-Function [9]
  - **Input:** Intermediate cipher blocks  $IC_i^1, IC_i^2, IC_i^3, IC_i^4$ . **Output:** 16-bit ciphertext.

1. S-box computation,

$$\begin{split} IS_i^1 &= IC_i^1 \odot IC_i^3 \\ IS_i^2 &= IC_i^1 \oplus 1 \\ IS_i^3 &= IC_i^2 \odot IC_i^4 \\ IS_i^4 &= IC_i^2 \oplus 0 \\ 2. \ P\ box\ computation, \\ P_i^1 &= IS_i^1[1]||IS_i^2[2]||IS_i^1[2]||IS_i^2[3] \\ P_i^2 &= IS_i^3[3]||IS_i^4[4]||IS_i^3[2]||IS_i^4[3] \\ P_i^3 &= IS_i^3[3]||IS_i^4[2]||IS_i^3[4]||IS_i^4[1] \\ 3. \ L\ box\ computation, \\ T_i[1] &= (P_i^1[1] \oplus P_i^2[4]); X_i[1] &= (P_i^1[1] \odot 0) \\ T_i[2] &= (P_i^1[2] \odot P_i^2[3]); X_i[2] &= (P_i^1[2] \oplus 1) \\ T_i[3] &= (P_i^1[3] \oplus P_i^2[2]); X_i[3] &= (P_i^1[3] \odot 0) \\ T_i[4] &= (P_i^1[4] \odot P_i^2[1]); X_i[4] &= (P_i^1[4] \oplus 1) \\ T_i[5] &= (P_i^3[1] \oplus P_i^4[4]); X_i[5] &= (P_i^2[1] \odot 0) \\ T_i[6] &= (P_i^3[2] \odot P_i^4[3]); X_i[6] &= (P_i^2[2] \oplus 1) \\ T_i[7] &= (P_i^3[3] \oplus P_i^4[2]); X_i[7] &= (P_i^2[3] \odot 0) \\ T_i[8] &= (P_i^3[4] \odot P_i^4[1]); X_i[8] &= (P_i^2[4] \oplus 1) \\ L_i(1) &= T_i[1]||X_i[4]||T_i[2]||X_i[3]||T_i[3]||X_i[2]||T_i[4]||X_i[1] \\ L_i(2) &= T_i[5]||X_i[8]||T_i[6]||X_i[7]||T_i[7]||X_i[6]||T_i[8]||X_i[5] \\ z &= L_i(1)||L_i(2) \\ 4. \ End. \end{split}$$

The key schedule process of LRBC also can be presented as  $K^1, K^2, K^3, K^4$ where  $K^i \in \{0, 1\}^4$ ,  $i = 1, \dots, 4$ . For encryption/decryption process of 24 rounds of LRBC, 24 number of possible combinations of keys can be used in each round. The design of the key combinations has been shown in Table 1.

Round	i	$_{j}$	$_{k}$	l	Round	i	j	$_{k}$	l
1	1	2	3	4	13	3	2	1	4
2	1	2	4	3	14	3	2	4	1
3	1	3	2	4	15	3	1	2	4
4	1	3	4	2	16	3	1	4	2
5	1	4	3	2	17	3	4	1	2
6	1	4	2	3	18	3	4	2	1
7	2	1	3	4	19	4	2	1	3
8	2	1	4	3	20	4	2	3	1
9	2	3	1	4	21	4	3	2	1
10	2	3	4	1	22	4	3	1	2
11	2	4	3	1	23	4	1	3	2
12	2	4	1	3	24	4	1	2	3

Table 1 The key combinations of all rounds of LRBC cipher as  $K^i, K^j, K^k, K^l$ .

# 3 Security analysis of LRBC

The designers of LRBC provided security analysis against differential and linear cryptanalysis [9]. According to their analysis, the LRBC is safe against these

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attacks. However, based on the structure of the LRBC algorithm, all the operations used in this algorithm are linear, therefore this is the reason that shows the LRBC is vulnerable against known attacks such as the differential, linear, impossible differential, zero-correlation attacks and also other attacks. In the following, we give a few examples to illustrate the vulnerability of the LRBC algorithm to the attacks mentioned above. Before that we prove the F-Function of LRBC cipher (see Algorithm 2) is not a permutation.

Remark 1 Based on the Algorithm 1, Step 6,  $F_i^1$  and  $F_i^2$  generates from  $(IC_i^1, IC_i^3)$  and  $(IC_i^2, IC_i^4)$ , respectively. It shows  $F_i^1$  and  $F_i^2$  are independent. But according to Algorithm 2,  $F_i^2(=L_i(2))$  is dependent to  $(IC_i^1, IC_i^2, IC_i^3, IC_i^4)$ <sup>1</sup> and so this shows that the F-Function of LRBC cipher can not be a permutation and we prove it in the following property.

Property 1 Let  $F : \{0,1\}^{16} \to \{0,1\}^{16}$  is F-Function of LRBC cipher. For any  $P \in \{0,1\}^{16}$ , and  $M \in \{0,1\}^4$ , we have  $F(P) = F(P \oplus OMOO)$ .

Proof For simplicity, in this proof, we use the same notation of Algorithm 2. We use the index i = 1, and i = 2 for the inputs  $P_1 = P$  and  $P_2 = P \oplus 0M00$ , respectively and show  $F(P_1) = F(P_2)$ . Based on the notation of Algorithm 2,  $P_1 = IC_1^1 ||IC_1^2||IC_1^3||IC_1^4$ , and  $P_2 = IC_2^1 ||IC_2^2||IC_2^3||IC_2^4 = IC_1^1||IC_1^2 \oplus M||IC_1^3||IC_1^4$ . Since, the only difference in  $P_1$  and  $P_2$  is in the second nible, so in the *S*-box computation phase the  $IS_2^1$  and  $IS_2^2$  for  $P_2$  will remain unchanged and equal with  $IS_1^1$  and  $IS_1^2$ , respectively. But the nibles  $IS_2^3$  and  $IS_2^4$  are changed as  $IS_2^3 = IS_1^3 \oplus M$ , and  $IS_2^4 = IS_1^4 \oplus M$ . In the *P*-box computation phase, only the  $P_2^3$  and  $P_2^4$  are affected by  $IS_2^3$  and  $IS_2^4$  and so we have  $(M = (m_1||m_2||m_3||m_4))$ :

$$\begin{split} P_2^3 &= IS_1^3[1] \oplus m_1 || IS_1^4[4] \oplus m_4 || IS_1^3[2] \oplus m_2 || IS_1^4[3] \oplus m_3, \\ P_2^4 &= IS_1^3[3] \oplus m_3 || IS_1^4[2] \oplus m_2 || IS_1^3[4] \oplus m_4 || IS_1^4[1] \oplus m_1. \end{split}$$

Since, in the *P*-box computation phase, the  $P_2^1$  and  $P_2^2$  did not change and are the same with  $P_1^1$  and  $P_1^2$ , respectively, hence in the *L*-box computation phase, the  $X_2[1]$  to  $X_2[8]$  and also,  $T_2[1]$  to  $T_2[4]$  will remain unchange and only the  $T_2[5]$  to  $T_2[8]$  will change as

$$\begin{split} T_2[5] &= (P_2^3[1] \oplus P_2^4[4]) = (IS_1^3[1] \oplus m_1 \oplus IS_1^4[1] \oplus m_1), \\ T_2[6] &= (P_2^3[2] \odot P_2^4[3]) = (IS_1^4[4] \oplus m_4 \oplus IS_1^3[4] \oplus m_4), \\ T_2[7] &= (P_2^3[3] \oplus P_2^4[2]) = (IS_1^3[2] \oplus m_2 \oplus IS_1^4[2] \oplus m_2), \\ T_2[8] &= (P_2^3[4] \odot P_2^4[1]) = (IS_1^4[3] \oplus m_3 \oplus IS_1^3[3] \oplus m_3), \end{split}$$

Based on the above equations, we have  $T_2[5] = T_1[5]$ ,  $T_2[6] = T_1[6]$ ,  $T_2[7] = T_1[7]$ , and  $T_2[8] = T_1[8]$ . Thus,  $L_1(1)||L_1(2) = L_2(1)||L_2(2)$ , and hence  $F(P_1) = F(P_2)$ .

 $<sup>^1</sup>$  Hence, we have considered the step 6 of Algorithm 1 as  $(F_i^1,F_i^2)=F\_Function(IC_i^1,IC_i^2,IC_i^3,IC_i^4).$ 

**Differential and Impossible Differential attack.** Property 1 helps to creat differential characteristics with non-zero differential inputs to zero differential outputs with a probability of one for 24 rounds of LRBC algorithm. For a few examples, we can have the following characteristics ( $\Delta_{in}$  and  $\Delta_{out}$  shows the input and output differential, respectively).

$$egin{aligned} & \Delta_{in} = 0001 
ightarrow \Delta_{out} = 0000, \ & \Delta_{in} = 0002 
ightarrow \Delta_{out} = 0000, \ & \Delta_{in} = 0003 
ightarrow \Delta_{out} = 0000, \ & \Delta_{in} = 0021 
ightarrow \Delta_{out} = 0000, \ & \Delta_{in} = 3133 
ightarrow \Delta_{out} = 0000 \end{aligned}$$

and two examples in case of non-zero input to non-zero output are as follows:

$$egin{aligned} & \varDelta_{in} = 0009 
ightarrow \Delta_{out} = extsf{b}25, \ & \Delta_{in} = extsf{d}3 extsf{b} 
ightarrow \Delta_{out} = extsf{4}968. \end{aligned}$$

Obviously, any differential characteristic that have the probability of one can lead to many impossible differential characteristic. For example, all differential characteristic as  $\Delta_{in} = 0001 \rightarrow (\Delta_{out} \neq 0) \in \{0, 1\}^4$  are impossible differential characteristics for 24 rounds of LRBC and so on.

Linear and Zero correlation attack. We could not find a linear characteristic with the probability  $\operatorname{except} \frac{1}{2}$  and so all characteristics that we searched have a bias equal to 0. Therefore, these characteristics can lead to a zero correlation attack. The following is a few examples of this type of characteristics.

$$\begin{split} &\Gamma_{in} = 0002 \rightarrow \Gamma_{out} = 1000, \\ &\Gamma_{in} = 105b \rightarrow \Gamma_{out} = 16ec, \\ &\Gamma_{in} = 24a1 \rightarrow \Gamma_{out} = 000f. \end{split}$$

where  $\Gamma_{in}$  and  $\Gamma_{out}$  shows the input and output linear masks, respectively.

#### 3.1 A discussion on LRBC structure

According to our analysis above, the design of this algorithm has obvious bugs. One of the most important drawbacks besides being linear is having a non-permutation function in its structure that this is due to the use of depended functions  $F^1$  and  $F^2$ . But, the designers also presented the graphical representation of encryption process of LRBC as shown in Fig. 1 (we borrowed this image from the original paper [9] intentionally). Based on this graphical representation, the  $F^1$  and  $F^2$  functions must be independent of each other. Hence, it shows there should be some typos in the Alg 2 of designers. In fact we guess the  $P_i^2$  that is used to generate  $X_i[5]$  to  $X_i[8]$  in the L-box computation phase of Algorithm 2, should be replace by  $P_i^3$ . Thus,  $X_i[5]$  to  $X_i[8]$  will be as  $X_i[5] = (P_i^3[1] \odot 0), X_i[6] = (P_i^3[2] \oplus 1), X_i[7] = (P_i^3[3] \odot 0),$ 



Fig. 1 Graphical representation of encryption process of LRBC  $\left[9\right]$ 

and  $X_i[8] = (P_i^3[4] \oplus 1)$ . By applying these changes, the F-Function of LRBC cipher will be a permutation and the details of Algorithm 2 can be the same as the graphical representation shown in Fig. 1.

Note that although correcting these typos causes to F-Function of LRBC be a permutation, the LRBC cipher remains insecure against the attacks mentioned above due to linearity of all operations that are used in the cipher. However, in the following we show that even by considering a nonlinear operation in the LRBC's F-Function, the structure of cipher will not have the necessary safety. The claim comes from that half the encrypted plaintext is encrypted independently of the other half. As it can be seen in the Fig. 1, the path that passes through the  $F^1$  function is completely independent of the path that the  $F^2$  function uses. Therefore, the time complexity of creating a code-book for LRBC is only  $2^8 = 256$  instead of  $2^{16}$ . Hence, we can create a full codebook only by query 256 chosen-ciphertext. For more details, it is enough to choose 256 chosen-ciphertext as  $CT = ICT_i^1 ||ICT_i^2||ICT_i^3||ICT_i^4 = *|| * || \diamond$   $||\diamond$  to obtain 256 corresponding plaintext  $P_{*\diamond}$  with a fixed key, where  $*,\diamond \in \{0, 1, \dots, f\}$ . Now, for a given ciphertext as CT = k||l||m||n, the plaintext will be as  $(< P_{km}.fOf0 > \oplus < P_{ln}.OfOf > )$ , where < .,. > shows the inner product.

# 4 Conclusion

In this work, we analyzed the security of LRBC block cipher and showed that the design of this cipher have some structural problems and since it does not use nonlinear operators, so it is insecure against the known attacks. It should be noted the message/key length in this cipher is only 16- bits. Hence even doing exhaustive search only costs  $2^{16}$ . However, our analysis shows that the cipher insecurity is structural and for example one can not fix it by using changing the word length from 4 to 16 and replacing the 4-bit s-boxes by 16-bit perfect s-boxes. Even in that case the complexity of creating a full-code-book for the cipher will be  $2^{32}$  not  $2^{64}$ . This study once again highlight the important of proper security analysis of any new primitive to avoid trivial attacks.

It should be noted, the designers have not made their reference-implementations publicly available. Hence, we put our implementation available at the end of this paper for any possible use. In addition, we have an implementation available at this link: http://cpp.sh/6reup

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#### A C++ source code for encryption process of LRBC block cipher

- 2 #include<iostream>
- 3 #include <bitset>

<sup>//</sup> Encryption process of LRBC block cipher

```
using namespace std;
// the number of rounds.
#define ROUNDS (24)
// The F-function based on the Alg 2. Page 6 in the LRBC paper.
void F_Function(int round, int IC1[][4], int IC2[][4], int IC3[][4],
int IC4[][4], int F1[][8], int F2[][8]);
// Structure of LRBC keys based on Fig. 2 Page 5 in the LRBC paper.
void Key_schedule(int key, int key_a[][4], int key_b[][4],
int key_c[][4], int key_d[][4]);
// Encryption process function
int Encryption_Process(int palintext, int key);
#define Xnor(a, b) (a ^ b ^ 1) // Ex-NOR function
#define Xor(a,b) (a ^ b) // Ex-OR function
int main() {
// read 16-bit PLAINTEXT and KEY
         int palintext = 0 \times 0021;
         int key = 0x234f;
         int ciphertext = \{0\};
         ciphertext = Encryption_Process(palintext, key);
// Print Plaintext
                    std :: cout << "Plaintext:\t";</pre>
                    std::cout << hex << palintext;</pre>
                    std::cout << "\n";
// Print key
                    std::cout \ll "Key: \t \ t \ ;
                    std::cout << hex << key;</pre>
                    std::cout << "\n";
 // Print ciphertext
                    std :: cout << "Ciphertext:\t";</pre>
                    std::cout << hex << ciphertext;</pre>
                    std::cout << "\n";
         return 0;
// F-function based on the Alg 2. of Page 6 in the LRBC paper
void F_Function(int round, int IC1[][4], int IC2[][4], int IC3[][4],
int IC4[][4], int L1[][8], int L2[][8]) {
//S-box computation
         int IS1[4] = \{ 0 \};
         int IS2[4] = \{0\};
int IS3[4] = \{0\};
int IS4[4] = \{0\};
         for (int j = 0; j < 4; j{++}) {
                  IS1[j] = Xnor(IC1[round - 1][j], IC3[round - 1][j]);
                  if (j != 3)
                           IS2[j] = IC1[round - 1][j];
                  else
                           IS2[j] = Xor(IC1[round - 1][j], 1);
                  IS3[j] = Xnor(IC2[round - 1][j], IC4[round - 1][j]);
                  IS4[j] = IC2[round - 1][j];
         }
// P-box computation
         int P1[4] = \{ 0 \};
```

4

5

6 7

8

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14 15

16 17 18

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 $55 \\ 56$ 

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58 59

60

61

62	int $P2[4] = \{ 0 \};$
63	int $P3[4] = \{ 0 \};$
64	int $P4[4] = \{ 0 \};$
65	P1[0] = IS1[0];
66	P1[1] = IS2[3];
67	P1[2] = IS1[1];
68	P1[3] = 1S2[2];
69	P2[0] = IS1[2]; P2[1] = IS2[1].
70	$P_2[1] = 152[1];$ $P_2[2] = 151[2].$
71	P2[3] = IS2[0],
73	$P_3[0] = I_{3}[0];$
74	P3[1] = IS4[3]:
75	P3[2] = IS3[1];
76	P3[3] = IS4[2];
77	P4[0] = IS3[2];
78	P4[1] = IS4[1];
79	P4[2] = IS3[3];
80	P4[3] = IS4[0];
81	// l-box computation
82	int $T[8] = \{ 0 \};$
83	$\inf X[8] = \{0\};$
84	T[0] = Xor(P1[0], P2[3]); T[1] = Vaca (D1[1], D2[2]);
85	I[1] = Anor(P1[1], P2[2]); T[2] = Xor(P1[2], P2[1]).
86	T[2] = Xor(F1[2], F2[1]), T[3] = Xor(P1[3], P2[0]).
88	T[4] = Xor(P3[0] P4[3])
89	T[5] = Xnor(P3[1], P4[2]);
90	T[6] = Xor(P3[2], P4[1]);
91	T[7] = Xnor(P3[3], P4[0]);
92	X[0] = Xnor(P1[0], 0);
93	X[1] = Xor(P1[1], 1);
94	X[2] = Xnor(P1[2], 0);
95	X[3] = Xor(P1[3], 1);
96	X[4] = Xnor(P2[0], 0);
97	X[5] = Xor(P2[1], 1);
98	X[6] = Xnor(P2[2], 0); X[7] = Var(P2[2], -1);
99	$\Lambda[I] = \Lambda Or(P2[3], I);$
100	$[// \text{Output} \longrightarrow \text{Di}[][]$ is $L(1)$ and $L2[][]$ is $L(2)$ in in the LADC paper. L1[round = 1][0] = T[0]:
101	L1[round - 1][1] = X[3]
102	$L_1[round - 1][2] = T[1];$
104	L1[round - 1][3] = X[2];
105	L1[round - 1][4] = T[2];
106	L1[round - 1][5] = X[1];
107	L1[round - 1][6] = T[3];
108	L1[round - 1][7] = X[0];
109	L2[round - 1][0] = T[4];
110	L2[round - 1][1] = X[7];
111	L2[round - 1][2] = T[5];
112	LZ[round - 1][3] = X[b];
113	$L_2[round - 1][4] = 1[0];$ $L_2[round - 1][5] = X[5];$
114	$L_2[round - 1][6] = T[7]$
116	$L_2[round - 1][7] = X[4]:$
117	$  = \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} $
118	/* Structure of LRBC key based on the Fig. 2 of Page 5
119	in the LRBC paper.*/

```
void Key_schedule(int key, int key_a[][4], int key_b[][4],
120
        int key_c[][4], int key_d[][4]) {
    int K[16];
121
                        for (int j = 0; j < 16; j++) {
123
                                       K[(15 - j)] = bitset < 16 > (key)[j];
124
125
                        }
                        int k1[4], k2[4], k3[4], k4[4];
126
                        for (int j = 0; j < 16; j++) {
if (j < 4)
127
128
                                                       k1[j] = K[j];
129
                                       else if (4 \le j \&\& j < 8)
k2 [j - 4] = K[j];
130
131
                                       else if (8 <= j && j < 12)
132
                                                       k3[j - 8] = K[j];
                                        else if (12 <= j && j < 16)
134
                                                       k4[j - 12] = K[j];
135
136
137
                        for (int j = 0; j < 4; j++) {
                                       key_{-}a[0][j] = k1[j];
138
139
                                       key_b[0][j] = k2[j];
                                        \begin{array}{l} key_{-c} [0][j] = k3[j]; \\ key_{-d} [0][j] = k4[j]; // \text{ round } 1 \end{array} 
140
141
                                       key_a[1][j] = k1[j];
142
                                        \begin{array}{l} key_{-b} \left[ 1 \right] \left[ j \right] = k2 \left[ j \right]; \\ key_{-c} \left[ 1 \right] \left[ j \right] = k4 \left[ j \right]; \end{array} 
143
144
                                       key_d[1][j] = k3[j]; // round 2
145
                                        \begin{array}{l} key_{-a} \left[ 2 \right] \left[ j \right] \; = \; k1 \left[ j \right] ; \\ key_{-b} \left[ 2 \right] \left[ j \right] \; = \; k3 \left[ j \right] ; \\ \end{array} 
146
147
                                       key_c [2] [j] = k2 [j];
148
                                       key_d [2][j] = k4[j]; // round 3
key_a [3][j] = k1[j];
149
150
                                       key_b[3][j] = k3[j];
                                       key_c[3][j] = k4[j];
key_d[3][j] = k2[j]; // round 4
153
                                       key_{a}[4][j] = k1[j];
154
155
                                       key_b[4][j] = k4[j];
                                                             = k3[j];
156
                                       // round 5
                                       key_{a}[5][j] = k1[j];
158
                                        \begin{array}{l} key_{-b} \begin{bmatrix} 5 \\ 5 \end{bmatrix} \begin{bmatrix} j \\ j \end{bmatrix} = k4 \begin{bmatrix} j \\ j \end{bmatrix}; \\ key_{-c} \begin{bmatrix} 5 \end{bmatrix} \begin{bmatrix} j \end{bmatrix} = k2 \begin{bmatrix} j \\ j \end{bmatrix}; 
159
160
                                       key_d[5][j] = k3[j]; // round 6
161
                                                             = k2 [j];
                                       kev_a [6]
                                       key_a [6][j]
key_b [6][j]
162
163
                                                             = k1[j];
                                       key_c[6][j] = k3[j];
164
                                       key_d[6][j] = k4[j]; // round 7
165
                                       key_{a}[7][j] = k2[j];
166
                                       key_b[7][j] = k1[j];
167
                                       key_{-c}[7][j] = k4[j];
168
169
                                       key_d[7][j] = k3[j]; // round 8
                                       key_{a}[8][j] = k2[j];
171
                                       key_b[8][j] = k3[j];
                                        \begin{array}{l} key_{-c} \left[ 8 \right] \left[ j \right] = k1 \left[ j \right]; \\ key_{-d} \left[ 8 \right] \left[ j \right] = k4 \left[ j \right]; // \text{ round } 9 \end{array} 
172
                                       key_{a}[9][j] = k2[j];
174
                                        \begin{array}{l} key_{-b} \left[9\right] \left[j\right] = k3 \left[j\right]; \\ key_{-c} \left[9\right] \left[j\right] = k4 \left[j\right]; \end{array} 
175
176
                                       key_d[9][j] = k1[j]; // round 10
177
```

178	$key_a[10][j] = k2[j];$			
179	$key_b[10][j] = k4[j];$			
180	$key_c[10][j] = k3[j];$			
181	$key_d[10][j] = k1[j];$	11	round	11
182	$key_a[11][j] = k2[j];$			
183	$key_b[11][j] = k4[j];$			
184	$kev_{c}[11][i] = k1[i];$			
185	$kev_d[11][i] = k3[i];$	11	round	12
186	$kev_a[12][i] = k3[i];$	<i>``</i>		
187	$key_b[12][j] = k2[j];$			
188	$kev_{c}[12][i] = k1[i];$			
189	$key_d [12][j] = k4[j];$	11	round	13
190	$key_a[13][j] = k3[j];$			
191	$key_b[13][j] = k2[j];$			
192	$key_c[13][j] = k4[j];$			
193	$key_d[13][j] = k1[j];$	11	round	14
194	$key_a[14][j] = k3[j];$			
195	$key_b[14][j] = k1[j];$			
196	$key_c[14][j] = k2[j];$			
197	$key_d[14][j] = k4[j];$	11	round	15
198	$key_a[15][j] = k3[j];$			
199	$key_b[15][j] = k1[j];$			
200	$key_c[15][j] = k4[j];$			
201	$key_d[15][j] = k2[j];$	11	round	16
202	$key_a [16][j] = k3[j];$			
203	$key_b[16][j] = k4[j];$			
204	$key_{c}[16][j] = k1[j];$			
205	$key_d[16][j] = k2[j];$	11	round	17
206	$key_a[17][j] = k3[j];$			
207	$key_b[17][j] = k4[j];$			
208	$key_{c}[17][j] = k2[j];$			
209	$key_d[17][j] = k1[j];$	11	round	18
210	$key_a[18][j] = k4[j];$			
211	$key_b[18][j] = k2[j];$			
212	$key_{c}[18][j] = k1[j];$			
213	$key_d[18][j] = k3[j];$	11	round	19
214	$key_a[19][j] = k4[j];$			
215	$key_b[19][j] = k2[j];$			
216	$key_c[19][j] = k3[j];$			
217	$key_d[19][j] = k1[j];$	11	round	20
218	$key_a[20][j] = k4[j];$			
219	$\operatorname{key_b} [20][j] = k3[j];$			
220	$\operatorname{key_c}[20][j] = k2[j];$			
221	$\operatorname{key}_{d} [20][j] = k1[j];$	//	round	21
222	$\operatorname{key}_{a}[21][j] = k4[j];$			
223	$\operatorname{key}_{b}[21][j] = k3[j];$			
224	$\operatorname{key}_{-} c [21][j] = k1[j];$			
225	$\operatorname{key}_{d} [21][j] = k2[j];$	//	round	22
226	$\operatorname{key}_{a}[22][j] = k4[j];$			
227	$\operatorname{key}_{b} [22][j] = k1[j];$			
228	$\operatorname{key}_{\operatorname{c}}[22][j] = k3[j];$	<i>, , ,</i>		0.0
229	$\operatorname{key}_{d} [22][j] = k2[j];$	//	round	23
230	$\operatorname{key}_{a}[23][j] = k4[j];$			
231	$\operatorname{key}_{b}[23][j] = k1[j];$			
232	$\operatorname{key_c}[23][j] = k2[j];$	, ,		0.4
233	$\operatorname{key}_{d}[23][j] = k3[j];$	11	round	24
234	}			
235	}			

```
int Encryption_Process(int palintext, int key)
236
237
      ł
                int START_ROUNDS(0);
238
      // Converting plaintext to the PT as array
239
                int PT[16] = \{ 0 \};
for (int j = 0; j < 16; j++) {
240
241
                          PT[(15 - j)] = bitset < 16 > (palintext)[j];
242
                }
243
      // Definr Variables
244
                int PT1[ROUNDS + 1][4] = \{ 0 \};
245
                                              \left\{ \begin{array}{c} 0 \\ 0 \end{array} \right\}; \\ \left\{ \begin{array}{c} 0 \\ \end{array} \right\}:
                int PT2[ROUNDS + 1][4] =
246
                int PT3 [ROUNDS + 1][4] =
247
                int PT4[ROUNDS + 1][4] =
                                               \{ 0 \};
248
                int IC1 [ROUNDS] [4] = \{0\};
                int IC2 [ROUNDS] [4] =
                                          { 0 }
250
                                               };
                int IC3 [ROUNDS] [4] =
                                          \{0\}:
251
                int IC4 [ROUNDS] [4] = \{0\};
252
253
                int F1[ROUNDS][8] = \{0\};
                int F2[ROUNDS][8] = \{0\}
                                              }:
254
                int key_a [24][4] = \{ 0 \};
255
                int key_b[24][4] = \{ 0 \\ int key_c [24][4] = \{ 0 \}
256
                                              };
                                              };
257
                int key_d [24][4] = \{ 0 \};
258
      // Define the Key_schedule function
259
                Key_schedule(key, key_a, key_b, key_c, key_d);
260
      /*Converting PT to the PTi (i=1,2,3,4) based on Step 4
261
      of the Alg 1. in page 6 in the LRBC paper*/
262
                PT1[START_ROUNDS][0] = PT[0];
263
                PT1[START_ROUNDS][1] = PT[1];
264
               PT1[START_ROUNDS][2]
PT1[START_ROUNDS][3]
                                          = PT[8];
265
266
                                          = PT[9];
                PT2[START_ROUNDS][0]
                                          = PT[2];
267
               PT2[START_ROUNDS][1]
PT2[START_ROUNDS][2]
                                          = PT[3];
268
                                          = PT[10];
269
                                          = PT[11];
                PT2[START_ROUNDS][3]
270
                PT3[START_ROUNDS][0]
                                          = PT[4];
271
                PT3 [START_ROUNDS] [1]
                                           = PT[5];
272
                PT3 START_ROUNDS ] [2]
                                          = PT[12];
273
                PT3[START_ROUNDS][3]
                                          = PT[13];
274
               PT4[START_ROUNDS][0] = PT[6];

PT4[START_ROUNDS][1] = PT[7];
275
276
                PT4[START_ROUNDS][2] = PT[14];
277
                PT4[START_ROUNDS][3] = PT[15];
278
279
      // start rounds
                for (int r = 1; r \ll ROUNDS; r++) {
280
           Step 5 of Alg 1. in page 6 in the LRBC paper
281
                          IC1[r - 1][0] = Xnor(PT1[r - 1][0], key_a[r - 1][0]);
282
                          IC1[r - 1][1]
                                           = Xnor (PT1 [r-1][1], key_a [r-1][1]);
283
                                           = Xnor (PT1 [r - 1] [2], key_a [r - 1] [2]);
                          IC1[r - 1][2]
284
285
                          IC1[r - 1][3]
                                           = \operatorname{Xnor}(\operatorname{PT1}[r-1][3], \operatorname{key}[r-1][3]);
                                           = Xor(PT2[r-1][0], key_b[r-1][0]);
                          IC2[r - 1][0]
286
                                            = Xor(PT2[r-1][1], key_b[r-1][1]);
287
                          IC2[r - 1][1]
                          IC2 [r -
                                    1][2]
                                            = \operatorname{Xor}(\operatorname{PT2}[r-1][2], \operatorname{key}[r-1][2]);
288
                                           = Xor (PT2 [r - 1] [3], key_b [r - 1] [3]);
                          IC2[r - 1][3]
289
                          IC3[r - 1][0] = Xor(PT3[r - 1][0], key_c[r - 1][0]);
290
                                           = Xor(PT3[r-1][1], key_c[r-1][1]); 
= Xor(PT3[r-1][2], key_c[r-1][2]);
                          IC3[r - 1][1]
291
                          IC3[r - 1]
292
                          IC3[r - 1][3] = Xor(PT3[r - 1][3], key_c[r - 1][3]);
293
```

```
 \begin{array}{l} IC4[r-1][0] = Xnor(PT4[r-1][0], key_d[r-1][0]);\\ IC4[r-1][1] = Xnor(PT4[r-1][1], key_d[r-1][1]);\\ IC4[r-1][2] = Xnor(PT4[r-1][2], key_d[r-1][2]);\\ \end{array} 
IC4[r - 1][2] = Xnor(PT4[r - 1][2], Kcy_d[r - 1][2]),
IC4[r - 1][3] = Xnor(PT4[r - 1][3], key_d[r - 1][3]);
// Define F-function (Step 6 of the Alg 1. in page 6 in the LRBC paper)
F-Function(r, IC1, IC2, IC3, IC4, F1, F2);
// Step 7 of the Alg 1. in page 6 in the LRBC paper
                            for (int j = 0; j < 4; j++) {

PT1[r][j] = F1[r - 1][j + 4];

PT2[r][j] = F2[r - 1][j + 4];
                                           \begin{array}{l} PT3[r][j] = F1[r - 1][j]; \\ PT4[r][j] = F2[r - 1][j]; \end{array} 
                            }
              }
       Step 10 of the Alg 1. in page 6 in the LRBC paper
             int ICT[16] = { 0 };
for (int j = 0; j < 4; j++) {
        ICT[j] = PT1[ROUNDS][j];
                            ICT[j + 4] = PT2[ROUNDS][j];
                            ICT[j + 8] = PT3[ROUNDS][j];
                            ICT[j + 12] = PT4[ROUNDS][j];
              }
/* Converting ICT array to Ciphertext as Hex format
       and return Ciphertext*/
              int ciphertext = 0;
              for (int i = 0; i < 16; i++)
                            if (ICT[i]) ciphertext |= (1 \iff (15 - i));
              return ciphertext;
}
```